## 792.

## LOCUS.

[From the Encyclopcedia Britannica, Ninth Edition, vol. xiv. (1882), pp. 764, 765.]
Locus, in Greek tótos, a geometrical term, the invention of the notion of which is attributed to Plato. It occurs in such statements as these:-the locus of the points which are at the same distance from a fixed point, or of a point which moves so as to be always at the same distance from a fixed point, is a circle; conversely a circle is the locus of the points at the same distance from a fixed point, or of a point moving so as to be always at the same distance from a fixed point; and so, in general, a curve of any given kind is the locus of the points which satisfy, or of a point moving so as always to satisfy, a given condition. The theory of loci is thus identical with that of curves; and it is in fact in this very point of view that a curve is considered in the article Curve, [785]; see that article, and also Geometry (Analytical), [790]. It is only necessary to add that the notion of a locus is useful as regards determinate problems or theorems: thus, to find the centre of the circle circumscribed about a given triangle $A B C$, we see that the circumscribed circle must pass through the two vertices $A, B$, and the locus of the centres of the circles which pass through these two points is the straight line at right angles to the side $A B$ at its mid-point; similarly the circumscribed circle must pass through $A, C$, and the locus of the centres of the circles through these two points is the line at right angles to the side $A C$ at its mid-point; thus we get the ordinary construction, and also the theorem that the lines at right angles to the sides, at their mid-points respectively, meet in a point. The notion of a locus applies, of course, not only to plane but also to solid geometry. Here the locus of the points satisfying a single (or onefold) condition is a surface; the locus of the points satisfying two conditions (or a twofold condition) is a curve in space, which is in general a twisted curve or curve of double curvature.

